# 16. Wind Resource Assessment

## 16.1 The European Wind Atlas

### 16.1.1 Overview and Basic Concepts

assessment of wind energy resources:

- establish the meteorological basis for the assessment of wind energy resources

- provide suitable data for evaluating wind power output

- high precision requirements because of  $P(v^3)$ -dependence

- method need high-quality long time series (> 10 a) of wind data due to long term

variations in wind climate

problem:

wind speed at a given site depends on two factors:

- overall weather systems (typical scale: 1000 km)

- nearby topography (typical scale: 10 km)

 $\rightarrow$  wind data are representative only valid for the actual position of the station

 $\rightarrow$  method for transformation of wind speed satisfies is required (horizontal and vertical extrapolation)

 $\rightarrow$  solution: European Wind Atlas: set of models based on physical principles of boundary layer flow taking into account:

- effect of different surface conditions (roughness)

- sheltering effects (buildings, trees, ..)

- variations of the terrain height (orography)

 $\rightarrow$  three main influences:

- terrain class (surface roughness, four classes)

- sheltering obstacles

- terrain height variations (orography)

regional wind climatologies have been calculated from more than 200 sites (at least 10 a of data and accurate site descriptions each)

calculation of generalized wind climate:

- flat and homogeneous terrain

- no nearby obstacles

- heights of 10, 25, 50, 100, 200 m - four roughness classes  $\rightarrow$  20 data sets free from local influences  $\rightarrow$  reginally representative

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spatial scale of representativeness depends on orographic structure of landsape: - flat, open terrain: up to 200 km

- mountainous area: close to station

regional data sets mainly give statistical information in terms of the probability distribution function (this is suffcient information foe wind power estimates)  $\rightarrow$  use of Weibull distribution division into 12 wind direction classes  $\rightarrow$  240 sets of Weibull parameters

essential: systematic description of topographic characteristics: - effects of obstacles  $\rightarrow$  sheltering effects

- surface fo terrain

- topographic elements contributing to roughness: vegetation, houses

orographic influence: decrease/increase of wind speed due to hills, ridges, cliffs, ...
→ three main effects of topography:

- shelter

- roughness

- orography

#### 16.1.2 Physical Models

logarithmic profile:  $u(z) = \frac{u_*}{\kappa} \ln(\frac{z}{z_0}) - \Psi(\frac{z}{L})$ 

geostrophic drag law: 
$$u_q = \frac{u_*}{r} \sqrt{((\ln(\frac{u_*}{f_{z_*}}) - A)^2 + B^2)}$$

assumptions: stationarity, homogeneity, barotrophy, neutral stability

 $\rightarrow$  balance geostrophy and surface roughness

stability corrections:

- small wind speeds not important  $\rightarrow$  neutral assumption generally good

- modifications as small perturbations to neutral state

- input: climatitological average, variance of surface heat flux

 $\rightarrow$  effect on vertical profiles of climatological means and standard deviations of wind speeds

taking average values for overland and sea stations, respectively

**Surface Roughness.** roughness is determined by size and distribution of roughness elements

Wind Atlas includes four types:  $\rightarrow$  roughness classes

roughness parameterized by length scale zo

empirical relationship with size of elements:  $z_0 = 0.5hS/A_H$  with height h, cross sectional area S and density  $A_H$  (average horizontal area occupied by each element) porosity for nonsolid elements!

seasonal changes of roughness!

Shelter Effects by Obstacles. shelter effect: relative decrease in wind speed behind an obstacle

depending on:

- distance from obstacle to site

- height of obstacle

- height at site (rotor hub height)

- length of obstacle (lateral  $\rightarrow$  infinite: max. shelter, zero: no shelter)

- porosity of obstacle ( $\simeq 0$  for buildings,  $\sim 0.5$  for trees (changing seasonally),  $\sim$ 0.33 for row of buildings with spacings of 1/3 the building length between them

Orographic Effects. Example: flow over Askervein hill (Hebride islands); length scale: 1 km

results: speed increases by a factor of 1.8 on top of the hill; negative speed-up in front and lee of the hill (20-40 percent)

for moderate orography simple corrections for these effects can be applied for complicated terrain numerical hydrodynamical models have to be used

#### 16.1.3 Application of the Model

Step 1: Select a base station

 $\rightarrow$  regional wind climatology (one of the available Wind Atlas sites, i.e. statistical description)

requirement: similar topographic situation; distance usually < 100 km;

mountains, coastlines!

Step 2: Roughness description

classifying surface types around the site

 $\rightarrow$  division into 12 30 deg-sectors and sector-by-sector classification (roughness classes)

 $\rightarrow$  Weibull distribution for each sector

roughness description with changes in a given sector (roughness change):

 $\rightarrow$  non-homogeneous surface  $\rightarrow$  problem: defining a unique roughness length

 $\rightarrow$  development of internal boundary layer with height h and distance from rough-

ness change x:

 $\frac{h}{z_0}(ln(\frac{h}{z_0} - 1)) = const \frac{x}{z_0}$  $z_0 = max(z_{01}, z_{02})$ 

 $\rightarrow$  modeling new profile with several logarithmic parts

 $\rightarrow$  correction factor for Weibull A parameter:  $A = corrA_{upwind}$ 

 $corr = \frac{\ln(z/z_{o2}) \ln(h/z_{o1})}{\ln(z/z_{o1}) \ln(h/z_{o2})}$ with height h of internal boundary layer

 $\rightarrow$  dividing segment into parts with equal roughness

Step 3: Calculation of total Weibull distribution

- A,k for each sector available; also the relative frequencies of occurence

- calculation of mean  $M_i$  and mean squares  $u_i^2$  for each sector

- calculate total mean and mean square

- from  $M^2/u^2$  calculate k

- use table to calculate u

 $M_{2} = A\Gamma(1 + \frac{1}{k})$ 

$$u^2 = A^2 I' (1 + \frac{2}{k})$$